

# **A MONOGRAPH ON**

## **Theoretical distributions & hypothesis testing**

**BY**

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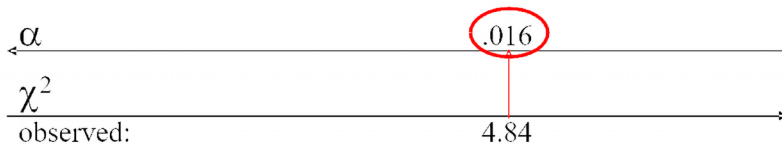
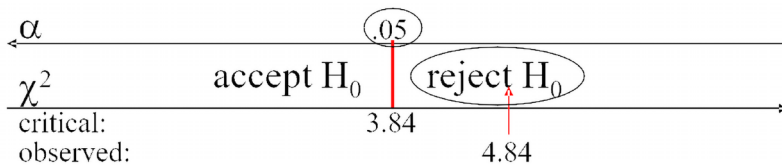
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	early	late	Total
piedmont	29	20	49
plain	21	30	51
Total	50	50	100

$\alpha = .072$

- better to report the actual alpha value associated with the statistic, rather than just whether or not the statistic falls into an arbitrarily defined critical region
- most computer programs do return a specific alpha level
- you may get a reported alpha of .000
  - not the same as "0"
  - means  $\alpha < .0005$  (←report it like this)



c) encourages misinterpretation of results

- it's tempting (but wrong) to reverse the logic of the test
  - having failed to reject the  $H_0$  at an alpha of .05, we are not 95% sure that the  $H_0$  is correct
  - if you do reject the  $H_0$ , you can't attach any specific probability to your acceptance of  $H_1$

d) the whole approach may be logically flawed:

- what if the tests lead you to reject  $H_0$ ?
- this implies that  $H_0$  is false
- but the probabilities that you used to reject it are based on the assumption that  $H_0$  is true; if  $H_0$  is false, these odds no longer apply
- rejecting  $H_0$  creates a catch-22; we accept the  $H_1$ , but now the probabilistic evidence for doing so is logically invalidated

## **Estimation**

- [revisit later, if time permits...]